# The O-C Diagram of EC20058-5234: Detection of Neutrino Emission?

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## **O-C Background...**

The flux variations from a pulsation with frequency f are given by a simple sinusoid...

$$\delta F = A\sin(2\pi f(t-\tau))$$

A time varying frequency can be written in terms of the "semi-instantaneous" phase...

$$f(t) = f_0(1 - \frac{d\tau}{dt})$$

We can simply measure the phase of pulsation of several data sets (using a fixed frequency and with respect to a fixed t=0) to measure a changing frequency or phase. This is known as the O-C or "Observed-Calculated" method.

## **O-C Background...**

If we assume that the frequency is changing very slowly:

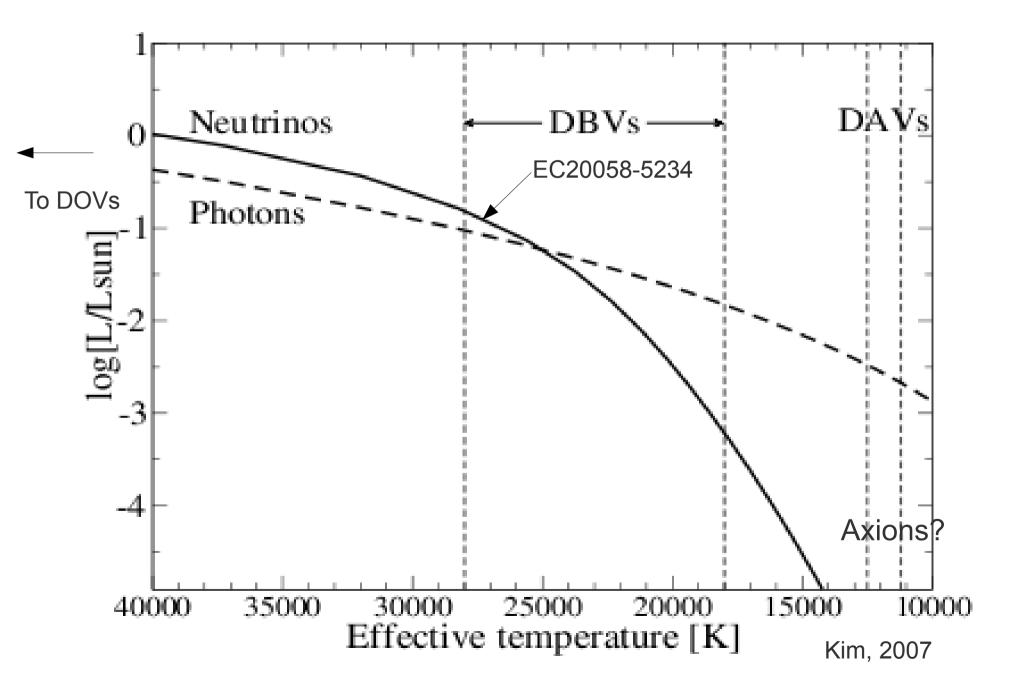
$$f(t) \approx f_0 + \dot{f}t$$

The time zero phase of pulsation would vary as:

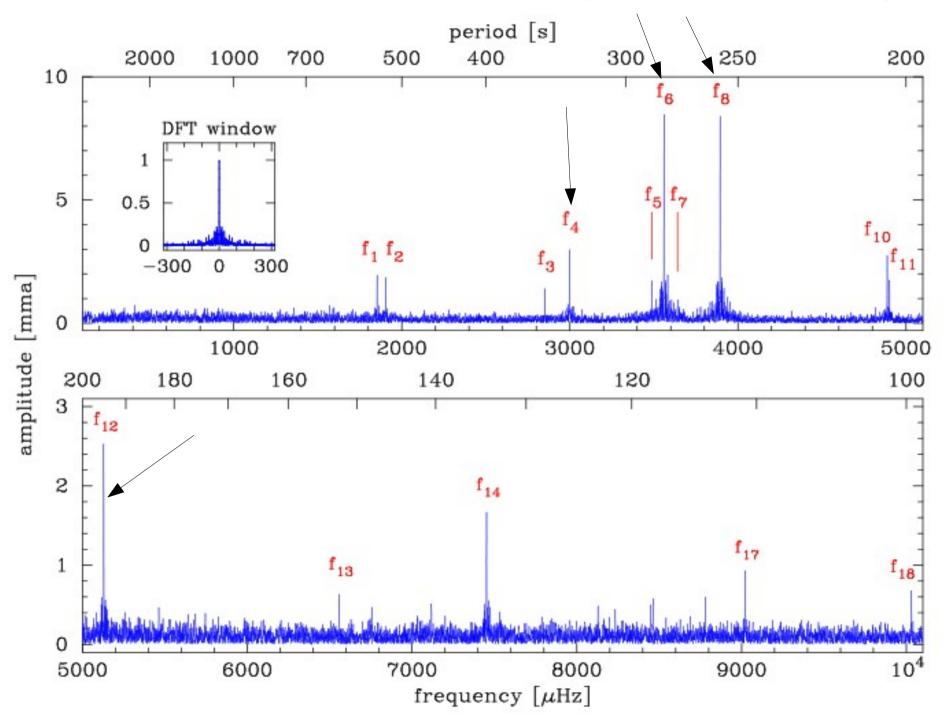
$$\tau(t) = \tau(0) - \frac{\dot{f}}{2f_0}t^2$$

Or equivalently...

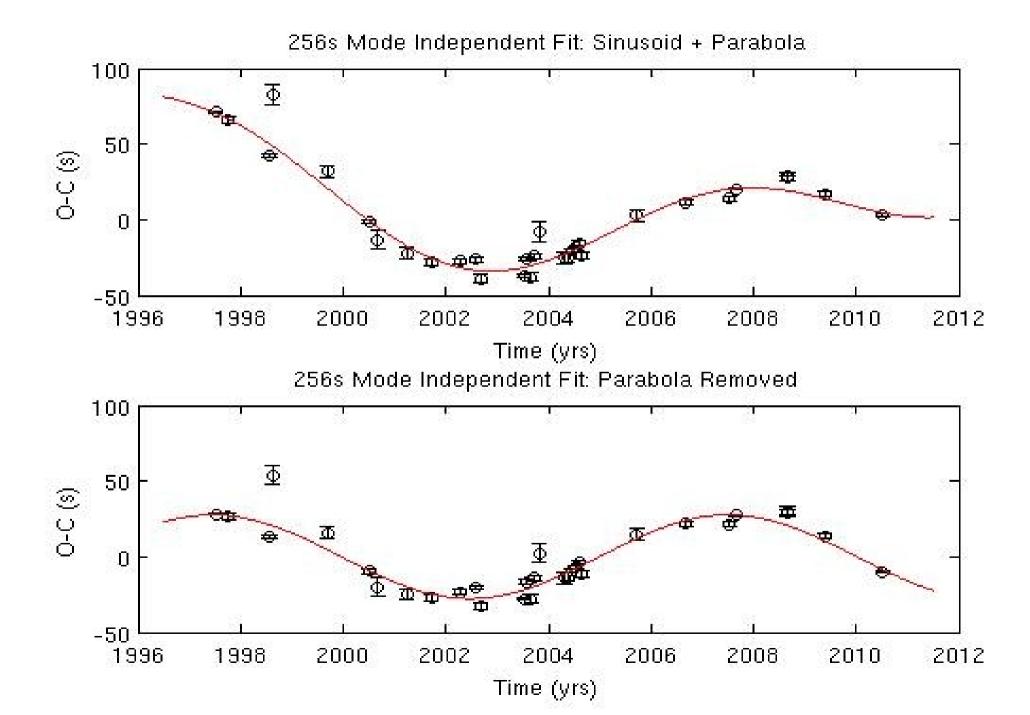
$$\tau(t) = \tau(0) + \frac{\dot{P}}{2P}t^2$$



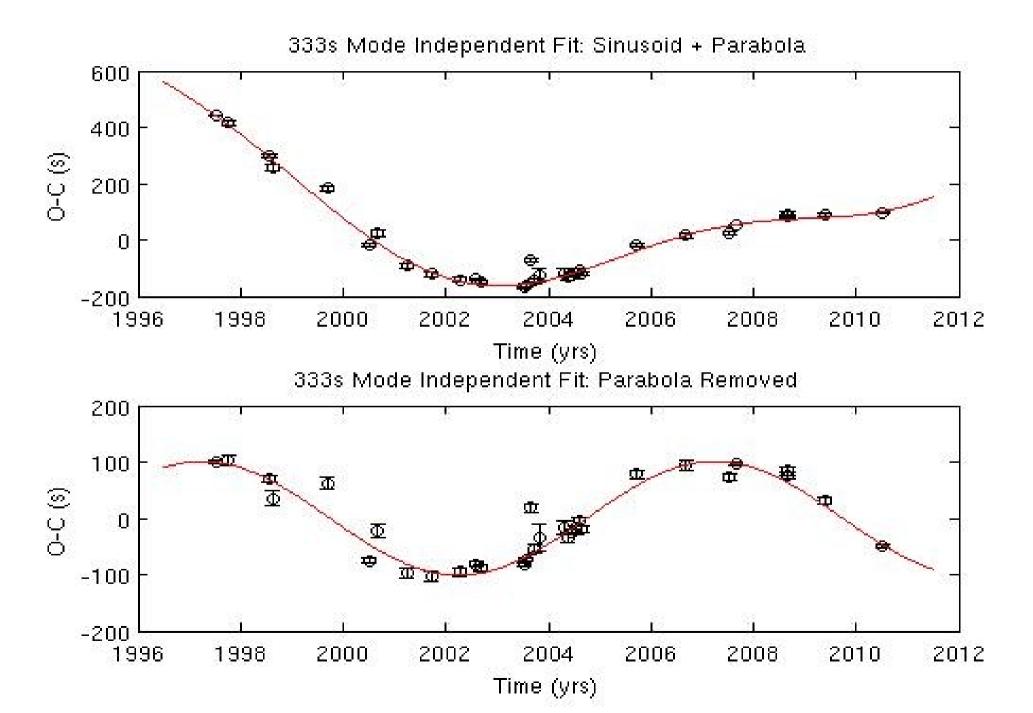
DFT of EC20058-5234 XCOV15 (Sullivan et. al. 2008)



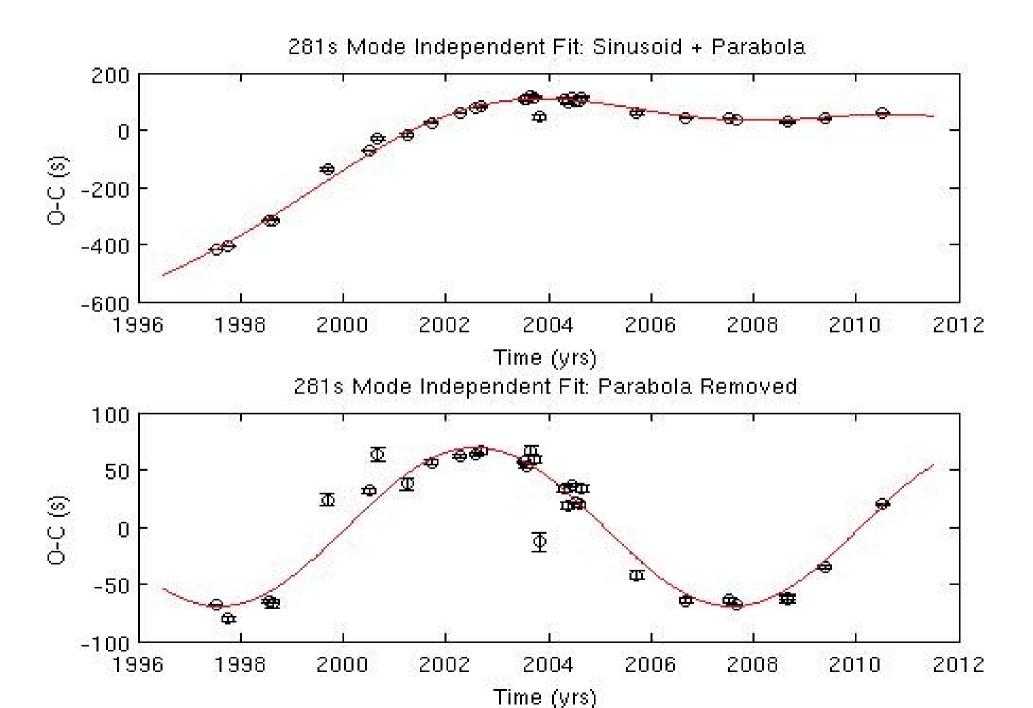
A = 27.6s, P = 10.05yrs, Phi = -.83, Pdot = 4.8E-13, Reduced Chi<sup>2</sup> ~ 10



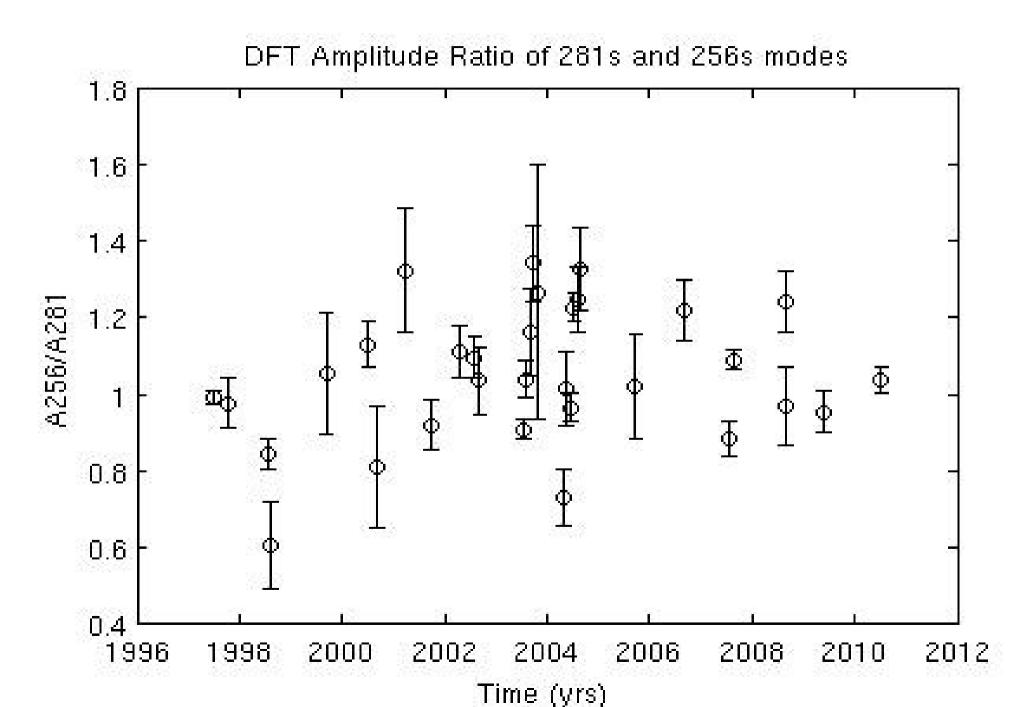
A = 101.0s, P = 10.00yrs, Phi = -.68, Pdot = 5.4E-12, Reduced Chi<sup>2</sup> ~ 10



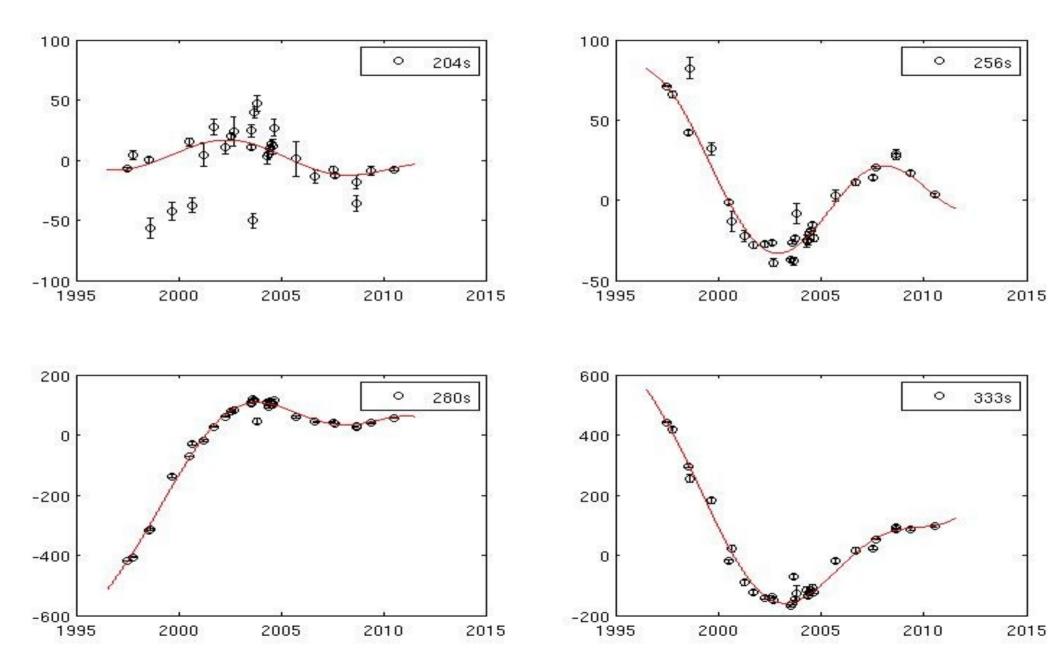
A = 69.3s, P = 10.06yrs, Phi = -.88+pi, Pdot = -2.9E-12, Reduced Chi^2 ~ 21



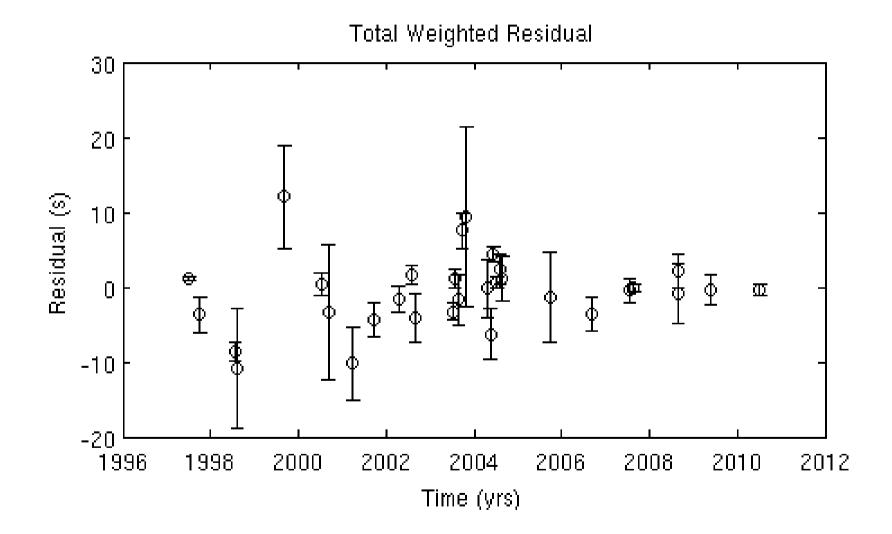
#### What about beating? Hidden modes?



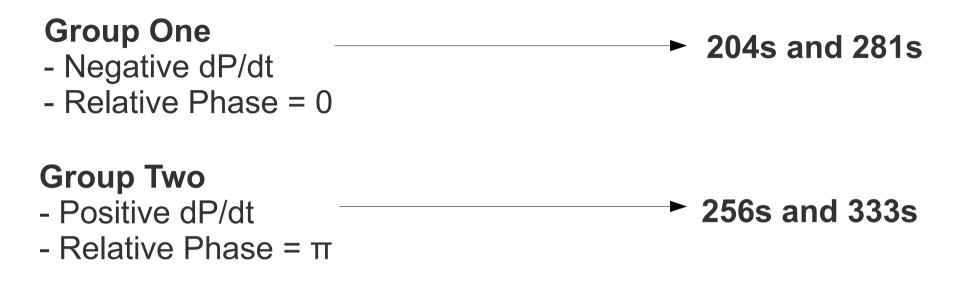
# Simultaneous 4 Mode O-C Fit: Period and phase of oscillation shared.



### **Residuals of 4 mode fit**



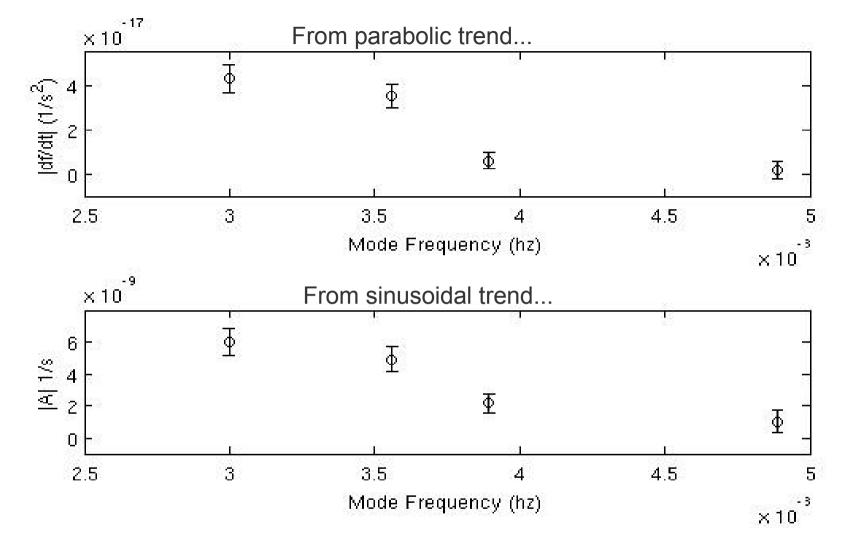
### **Two Groups of Modes**



### Most simple explanation...

- One group is m=+1 and the other m=-1
- The variations are due to rotational effects
- A global change in rotation would affect all modes identically (for equal I), not the case in the data

#### Magnitude of the variations as a function of frequency...



**Observation:** The variations are correlated in frequency, and increase with period (or k) **Conclusion:** The physical processes governing these changes appear to be affecting the same region near/at the surface of the star. The observed rate of frequency/period change should be equal to the evolutionary (cooling) rate + the other contribution

$$\dot{f}_{obs} = \dot{f}_{cooling} + \dot{f}_{other}$$

The observed amplitude of the sinusoidal variations is all from the unexplained or "other" contribution

$$A_{obs} = A_{other}$$

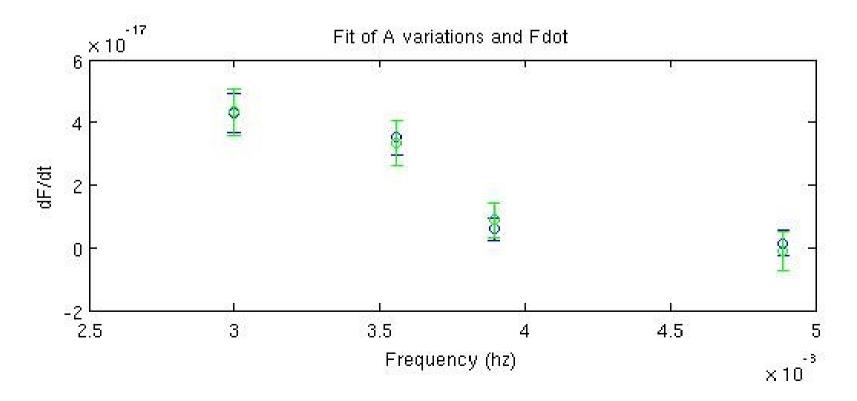
The amplitude variations appear to be affecting the star in the same region as the other frequency variations. The variations are directly proportional to each other, or...

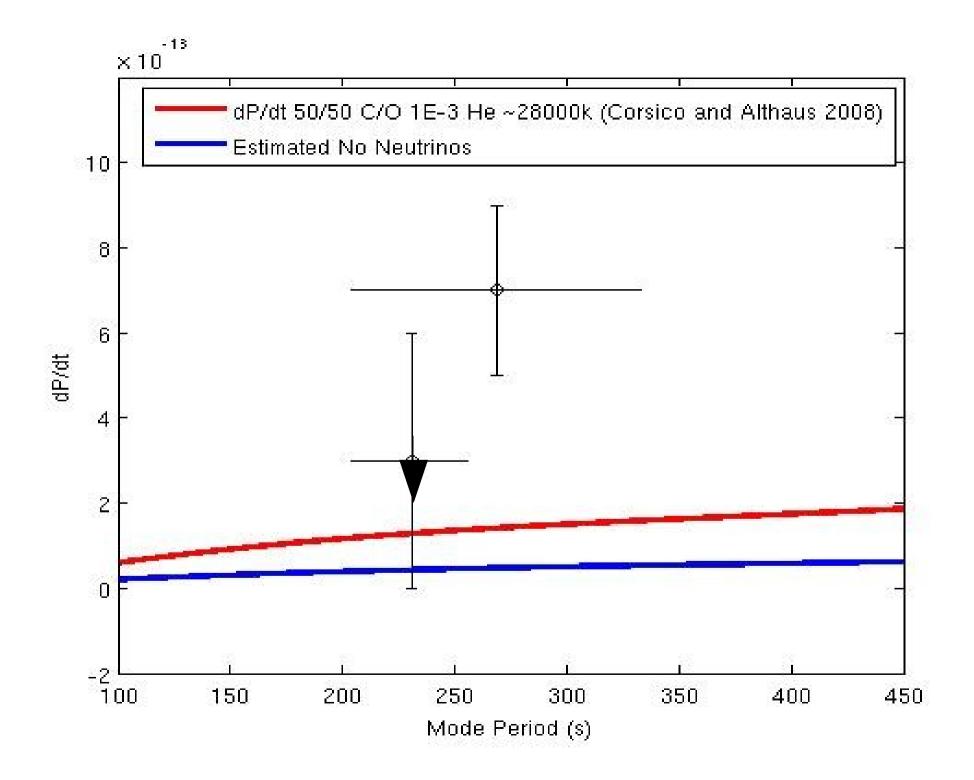
$$a \times A_{other} = \dot{f}_{other} = a \times A_{obs}$$

Putting this together we find...

$$\dot{f}_{obs} = a \times A_{obs} + \dot{f}_{cooling}$$

We can fit the observed frequency and amplitude variations to measure the evolutionary rate of period change...





### To Do List

### - Improve the asteroseismology model for EC20058-5234

- Find relationship between frequency changes and rotation in the star
- Examine the assumption that the physical process causing the sinusoid and parabolic trends are affecting the same region in the star
- C/O ratio, He mass, temperature important for model dP/dt

#### -More Observation/Analysis

- Continue to observe the target, improve precision
- Explore using combination and harmonics to improve precision
- Other modes?
- Investigate more reliable mode amplitude calculations
- Theory: Explore models to explain O-C variations
  - Pulsations carrying angular momentum? Spin up/down? Companion?
  - Magnetic field precession? Magnetic pole flipping (not in weak field limit)?

